



OPT-B BED OPTIMIZATION

***“DEVELOP AN ALGORITHM, THAT ASSIGNS A
SET OF ELEMENTS (RECTANGLES) TO A
MINIMAL NUMBER OF BEDS”***

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Version 1: brute force **NO** 49 elements $\rightarrow 6 * 10^{62}$ possible permutations

Brute force: algorithm parts:

1. State of all possible «bed lists» \rightarrow all permutations of elements charging order : $n!$
2. Verify the «stack constraint» for each «bed list» \rightarrow limit of opened stacks : eg. Max 2
3. Unify each 2+ beds respecting the «bed constraint» \rightarrow elements fit in the bed

1° Algorithm - optBeds

```
optBeds ( el[] Elements, ebd[] Beds , stack[] Stacks )
```

```
  forEach el in Elements:
```

```
    checkStackConstraint()
```

```
    if checkStackConstraint==True ; checkConcreteConstrain();
```

```
  end
```

2° Algorithm - checkStackConstraint()

```
checkStackConstraint ( Element, ListaStack, Pass)
    if el.stackId == OpenedStackId
        then
            listaStacks.reminingElements - 1
            if listaStacks.reminingElements ==0
                stackFalg = close
            Pass = TRUE
    else    if OpenedStacks < maxStacs
            then    openedStacks +1
                    stack (el.stack).stackFal = open
                    stack (el.stack).remainingElement = -1
                    Pass = TRUE
            else
                Pass = FALSE
```

3° Algorithm - checkConcreteConstrain()

```
checkConcreteConstraint ( Element , bed)
```

```
    if el.concrete != bed.concrete
```

```
        then
```

```
            openNewBed.id +1
```

```
            insertElementIntoBed()
```

```
insertElementIntoBed()
```

```
    TODO (included the optimization of the number of beds)
```

New objects

```
Stack: { id;  
        stackFalg  
        reminingElements  
    }
```

```
OpenedStacks: { }
```